# Unit Transfer Method Primary 5 

Before \& After Lesson 2: Total Unchanged

Website: www.mathsheuristics.com
Email: enquiry@mathsheuristics.com
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## LESSON 2: TOTAL UNCHANGED QUANTITIES

## DEFINITION

The total quantity remains unchanged.
Before: $\quad$ Ali has $\$ 10$ and Ben has $\$ 35$.

Change: Ali gives $\$ 3$ to Ben.

After:
Does their Total money Before and After changes?
(Yes No)


* Interal transter

GUIDED EXAMPLE 1
B [There was 250 g of flour in Container A and 800 g of flour in Container B.]
$C$ (How much flour must be poured from Container B into Container A]
A [so that both containers haet the same amount of flour?]


$$
\begin{aligned}
& 800-250=550 \\
& 550 \div 2=275
\end{aligned}
$$

Ans: 275 g

Before \& After Scenarios
Total Unchanged Quantities

## GUIDED EXAMPLE 2

B [Wendy had $\frac{2}{3}$ as many stickers as Sharon.]
C [After Wendy gave 56 stickers to Sharon,]
A [Wendy had $\frac{2}{5}$ as many stickers as Sharon.]
How many stickers did Wendy have at first?


Total
Unchanged

$$
25 u-21 n=56 \text { or } 14 u-10 u=56
$$

$$
4 u=56
$$

$$
l_{u}=56 \div 4
$$

$$
=14
$$

$$
14 u=14 \times 14
$$

$$
=196
$$

Ans: 196

GUIDED EXAMPLE 3
$B$ [Wahid and Aron had a total of 1760 marbles.]
C When Wahid gave 120 marbles to Aron,I
A he ${ }^{3}$ would have 3 times as many marbles as Aroh. $]$
How many marbles did Wahid have at first?

unchanged

GUIDED EXAMPLE 4
B $\begin{gathered}\text { Herman and Andy collected some coins. } 4 \\ \text { Andy collected } \\ \frac{1}{5} \%\end{gathered}$ more coins than Herman. $\quad 25 \%=\frac{25}{100 \div 25}=\frac{1}{4}$
C If Herman gives 26 coins to Andy,
A he will have $\frac{1}{2}$ as many coins as And'y in the end. How many coins did Andy have at first?


GUIDED EXAMPLE 5
B [John and Sean had the same amount of monev at first. ]
(If John gives $\$ 94$ to 】ahn, Sean]
A the ratio of John's money to Selan's money became $7: 11$.]
How much money did they have altogether?


$$
\begin{aligned}
q u-7 u & =94 \\
2 u & =94 \\
1 u & =94 \div 2 \\
& =47 \\
18 u & =18 \times 47 \\
& =846 \\
\text { Ans } & : \$ 846
\end{aligned}
$$

GUIDED EXAMPLE 6
B [Mr. Ong had a total number of 576 toys in both shops.]
C He transferred 90 toys from second shop to first shop.]
A A's a result, there was 8 times as many toys in the first shop as the second shop.] How many toys were there in the first shop at first?


BUILD YOUR UNDERSTANDING

1. B Ryan had $\$ 324$ and Kenneth had \$1076.]

C How much money must Kenneth give to Ryan so that (they would have an equal amount of money in the end? ] $A$


$$
\begin{array}{ll}
1076-324=752 & \\
752 \div 2=376 & \text { Ans }=\$ 376
\end{array}
$$

2. $B$ A carton contained peaches and oranges in the ratio $9: 4$.

C The shopkeeper sold 60 peaches in the carton.
$C$ He then added 60 oranges to the carton.
A As a result, there was an equal number of peaches and ordnges in the carton. How many peaches were left in the carton?


$$
\begin{aligned}
18 u-13 u & =60 \\
5 u & =60 \\
1 u & =60 \div 5 \\
& =12 \\
13 u & =13 \times 12 \\
& =156 \\
\text { Ans } & : 156
\end{aligned}
$$

Unchanged
3. B [Tank A and Tank B had 10.8 litres of water.]

C After 1.045 litres of water was poured from Tank A to Tank B, $工$
A Tan̉k A had three times as much water as Tank B. $]$
How much water was in Tank A at first?

4. $B$ The number of people in $\operatorname{Camp} A$ is $\frac{3}{7}$ that of $C a m^{7} B$.

C After 30 people moved from Camp A to Camp B, A the number of people in Camp A is $\frac{2}{5} \%$ that of Camp B.

$$
40 \%=\frac{40}{100}=\frac{2}{5}
$$

Find the total number of people attending both camps.


$$
\begin{aligned}
21 u-20 u & =30 \\
1 u & =30 \\
70 u & =70 \times 30 \\
& =2100
\end{aligned}
$$

Ans: 2100
Total
Unchanged

P5 Module: Unit Transfer Method ${ }^{\text {™ }}$
5. Lucas and Dinesh had some marbles.


| make <br> this <br> divisible by | $L$ | $D$ | Total |
| :--- | :---: | :---: | :---: |
| $B$ | $5 \times 2$ <br> $10 u$ | $3 \times 2$ <br> $6 u$ | $16 u$ |
| $C$ | $-5 u$ | $+5 u$ |  |
| $A$ | $5 u$ | $11 u$ | $16 u$ |

Before \& After Scenarios
Total Unchanged Quantities


$$
\begin{aligned}
11 u-5 u & =36 \\
6 u & =36 \\
1 u & =36 \div 6 \\
& =6 \\
16 u & =16 \times 6 \\
& =96
\end{aligned}
$$

$$
\text { Ans: } 96
$$

6. At first, Flask $X$ and Flask $Y$ contained water as shown below:


Flask X


Flask Y

Some water from Flask $Y$ was poured into Flask $X$ with no water spilling over. In the end, there was as much water in Flask $X$ as in Flask $Y$.
How much water was poured from Flask $Y$ into Flask X? Give your answer in ml .

$$
\begin{aligned}
& 1600-600=1000 \\
& 1000 \div 2=500
\end{aligned}
$$



Ans: 500 ml

CHALLENGE YOURSELF
B [At first, Ken had 150 stamps and his brother had some stamps.]
(Ǎfter giving 40 stamps to his brother,?
the ratio of the number of Ken's stamps to his brother's stamps was $5: 3$.]
a) How many stamps did Ken have in the end?
b) How many stamps did his brother have at first?

|  | $K$ | $B$ |  |
| :--- | :--- | :--- | :--- |
| $B$ | 150 | $(6)$ |  |
| $C$ | -40 | +40 |  |
| $A$ | $5^{(110} I_{\times 22}^{(a)}$ | $3^{66} F_{\times 22}$ |  |

a) $150-40=110$
b) $66-40=26$

Ans: a) $\begin{aligned} 110 \\ \text { b) } 26\end{aligned}$

